Nanomechanical characterization by double-pass force–distance mapping

To cite this article: Yavuz S Dagdas et al 2011 Nanotechnology 22 295704

View the article online for updates and enhancements.

Related content

- High-resolution and large dynamic range nanomechanical mapping in tapping-mode atomic force microscopy
  Özgür Sahin and Natalia Erina

- Uncertainty quantification in nanomechanical measurements using the atomic force microscope
  Ryan Wagner, Robert Moon, Jon Pratt et al.

- Mapping nanoscale elasticity and dissipation using dual frequency contact resonance AFM
  A Gannepalli, G G Yablon, A H Tsou et al.

Recent citations

- Self-assembled peptide nanostructures for functional materials
  Melis Sardan Ekiz et al

- Mussel Inspired Dynamic Cross-Linking of Self-Healing Peptide Nanofiber Network
  Hakan Ceylan et al

- Amyloid Inspired Self-Assembled Peptide Nanofibers
  Goksu Cinar et al
Nanomechanical characterization by double-pass force–distance mapping

Yavuz S Dagdas¹, M Necip Aslan², Ayse B Tekinay¹, Mustafa O Guler¹ and Aykutlu Dâna¹

¹ UNAM Institute of Materials Science and Nanotechnology, Bilkent University, 06800 Ankara, Turkey
² Department of Physics, Istanbul Technical University, Istanbul, Turkey

E-mail: aykutlu@unam.bilkent.edu.tr

Received 29 December 2010, in final form 10 May 2011
Published 15 June 2011
Online at stacks.iop.org/Nano/22/295704

Abstract

We demonstrate high speed force–distance mapping using a double-pass scheme. The topology is measured in tapping mode in the first pass and this information is used in the second pass to move the tip over the sample. In the second pass, the cantilever dither signal is turned off and the sample is vibrated. Rapid (few kHz frequency) force–distance curves can be recorded with small peak interaction force, and can be processed into an image. Such a double-pass measurement eliminates the need for feedback during force–distance measurements. The method is demonstrated on self-assembled peptidic nanofibers.

(Some figures in this article are in colour only in the electronic version)

1. Introduction

Nanomechanical characterization attracts attention in a number of fields, including semiconductor process characterization, materials science, polymer science and biology [1–3, 7]. Typically, force–distance curves are analyzed using a tip–sample interaction model of choice to extract the material stiffness and adhesion properties [4–6]. Apart from traditional force–distance measurements, several techniques such as pulsed force mode or microsecond force spectroscopy have been used to obtain complete nanomechanical maps of surfaces. Acquisition of force–distance maps using minimal indentation forces allows the extraction of mechanical properties of fragile features such as biomolecules. Rapid acquisition also allows greater throughput and reduced susceptibility to mechanical drifts. Existing techniques for nanomechanical mapping generally require special cantilevers or special hardware for data collection.

In this paper we describe a simple method for nanomechanical mapping using a double-pass scheme. Double-pass measurements typically use the tapping mode to record the topography, and the cantilever is lifted a known amount in the second pass to measure long range interactions. Traditionally, double-pass imaging has been used to characterize electrostatic and magnetic forces [8–10]. In this study, topography and phase information is recorded in tapping mode in the first pass and the cantilever dither is turned off in the second pass, while vibrating the sample with a small amplitude at a frequency much lower than the cantilever resonance frequency (figure 1). At each oscillation cycle of the sample, the cantilever comes into contact with the surface, and a force–distance map (FDM) is recorded by auxiliary electronics (such as a digital oscilloscope or a data acquisition board). The FDM can be then analyzed to extract material properties.

2. Experimental details

In the demonstration of the technique, we use a commercial atomic force microscope (AFM, Asylum Research MFP3D) with built-in double-pass imaging capability. A piezo bimorph disc element (a buzzer) is glued onto a polycarbonate plate with a circular opening that closely matches the piezo diameter. The assembly can be fixed on the flexure scanner of the AFM system using magnets. A silicon sample is glued on to the buzzer. The sample area can be as large as a square centimeter. Such an assembly can be constructed using low-cost and widely available components and is disposable. Alternatively, the cantilever position can be modulated through the displacement mechanism that provides z-direction feedback of the AFM. We prefer to modulate...
Figure 1. (a) The topography of the sample is acquired in the tapping mode by vibrating the cantilever, and (b) the topographic information is used in the second pass to keep the tip–sample separation constant, while vibrating the sample and recording the force–distance curves. The force–distance curves can then be used to extract the tip–sample interaction parameters.

Figure 2. (a) In the second pass the time-dependent cantilever deflection is recorded and (b) by fitting a sinusoidal oscillation to the tip–sample separation, the deflection–time curve is converted into a deflection–displacement curve. Two representative locations on silicon (red, higher peak deflection) and organic layers (blue, lower peak deflection) are shown.

In the imaging and spectroscopy experiments, cantilevers of spring constant 3–40 N m$^{-1}$ with resonant frequencies of $f_0 \sim 60$–400 kHz are used (provided by BudgetSensors). Softer cantilevers allow reduced tip–sample forces; however, post-snap-off oscillations are observed in the force–distance curves. High stiffness cantilevers ($k > 10$ N m$^{-1}$) display reduced snapping and produce better elasticity contrast, at the expense of increased tip–sample forces. In the experiments, the sample is typically oscillated at a frequency of $f_s = 2$ kHz, allowing FDMs to be acquired at about 2 Hz line frequency. The oscillation of the sample in the FDM part of the measurement is stable and has constant amplitude. In such a case, the tip–sample distance can be assumed to be a sinusoid with $f_s = 2$ kHz frequency. At the point of closest approach, or the peak of the sinusoid, tip–sample contact takes place, and the cantilever is deflected due to the attractive and repulsive forces (figure 2(a)). The time-dependent deflection data are then converted to a deflection–distance graph as shown in figure 2(b). The slope of the deflection–displacement (DD) curve can be understood in terms of the relative spring constants of the cantilever and the tip–sample effective spring constant. The DD curve forms the basis of the force–distance (FD) curve, where the deflection variable is converted into the force variable simply by multiplying by the cantilever’s spring constant. The slope of the DD curve can be related to the cantilever’s spring constant and tip radius using the DMT model [11]. The calculation results given in figures 3(a) and (b) show the dependence of the slope of the DD curves on sample elasticity for given spring constants and tip radii (for a peak force of about 10 nN). The slope of the deflection–distance curve can be approximated by

$$\frac{\delta \text{Deflection}}{\delta \text{Displacement}} = \frac{\sqrt{6}R_{\text{tip}}FE^2}{k_c + \sqrt{6}R_{\text{tip}}FE^2}$$

(1)

where $k_c$ is the cantilever spring constant, $R_{\text{tip}}$ is the tip radius, $E$ is the sample elastic modulus (with an infinitely hard tip) and $F$ is the pressing force. The above equation agrees well with the calculation shown in figure 3 for $F \approx 10$ nN pressing force. It must be noted, however, that equation (1) requires the repulsive contact force for quantitative estimation, and without accounting for the attractive portion of the FD (or DD) curve, a reliable estimation cannot be made. In our scheme, the full FD (or DD) curve is measured, and the attractive forces can properly be accounted for. In order to get a quantitative correspondence between the slope and the sample elasticity, both the spring constant and the tip radius must...
Figure 3. (a) Using the Derjaguin–Muller–Toporov interaction model deflection–displacement (DD) curves are calculated for a spring constant of 2.5 N m\(^{-1}\) for various tip radii, as a function of sample elasticity. Peak values of the slope are plotted against sample elasticity. The insets show actual calculated deflection–displacement curves and their slopes as a function of tip displacement. (b) The calculations are repeated for a tip radius of 20 nm, for various common spring constants. Softer cantilevers are more suitable for soft materials and large spring constants are suitable for materials with large elastic modulus.

Figure 4. (a) Schematic representation of amphiphile peptides forming the nanofibers. (b) Typical flattened topography image of secondary structures formed by self-assembled nanofibers on a silicon surface.

3. Results and discussion

Typical results acquired with a cantilever of spring constant \(k \approx 2.5\) N m\(^{-1}\) and resonance frequency \(f_0 \approx 75\) kHz are given in figure 5(a) which shows the unprocessed topography.
Figure 5. (a) For double-pass force–distance mapping, in the first pass the topography is acquired using the tapping mode (820 nm wide image, 45 nm full-color scale). (b) The adhesion map can be extracted from the force–distance maps obtained in the second pass (arbitrary units). (c) The slope of the force–distance map gives elasticity related information (arbitrary units). The slope is simply calculated by using the peak deflection and minimum deflection during approach. This simple calculation is susceptible to topography measurement errors due to finite feedback speed, as well as attractive/repulsive regime bistability at step edges (arrow I). Thin portions of the organic layers appear to be stiffer due to compression of the film beyond the film thickness during contact (arrows II and III). (d) A line section of the slope data shows repeatability on flat topography.

Here, the data are not corrected by flattening and show the thermal drift during the topographic imaging. Typical parameters used in the imaging are 20 nm tapping amplitude, 75% amplitude set point, driven slightly below the resonance frequency to favor repulsive mode imaging.

The adhesion map (figure 5(b)) is extracted by plotting the maximum negative deflection during retraction of the curve shown in figure 2(b). Instead of explicitly expressing the elasticity, the extracted slope of the deflection–distance curves is shown in figure 5(c). Quantitative sample elasticity can be inferred from the slope using figure 3. The extracted slope value is repeatable and a section is shown in figure 5(d). It is seen that, despite significant thermal drifts (more than a few nanometers in z) during the course of imaging (figure 5(a)), both adhesion (figure 5(b)) and elasticity (figure 5(c)) show insensitivity to the much smaller drift (about 0.2 nm) between topography and force-map acquisition. It is also seen that, although the organic components of the sample are very fragile, satisfactory results can be obtained and tapping-mode imaging can be sustained throughout the image. The section shows the excellent repeatability of the slope measurement on flat topography. It must be noted that the slope extraction algorithm used in figure 5(c) is not sophisticated, causing surface tracking errors, and attractive/repulsive regime bistabilities during topography acquisition (which are manifested in the amplitude and phase images, data not shown) couple into the elasticity channel at step edges (figure 5(c), arrow I). In force–distance measurements, typically the DMT interaction model is used to estimate the sample elasticity. This model is known to produce reliable quantitative results on films much thicker than the indentation depth; however, it fails for thin suspended or partially suspended layers [18] or for thin layers (with thickness smaller than the indentation depth) of soft material on a hard substrate. This is demonstrated in our measurements, where a greater apparent elastic modulus is observed for thin portions of the organic layers (figure 5(c), arrows II and III). The contact portion of the DMT model is based on Hertzian contact of a sphere on a flat surface. In reality, geometry also plays an important role in the contact forces and the contact model has to be corrected in a non-flat sample topography with features on the order of the tip radius.

We also show histograms of slope (figure 6(a)) and adhesion (figure 6(b)) extracted from the data of figures 5(b) and (c). The slope histograms show two distinct domains with slopes peaking at around 0.93 (silicon substrate) and 0.62 (organic overlayers). Based on the calculations shown in figure 3(a), using the spring constant of $k = 2.5 \text{ N m}^{-1}$ and assuming a nominal tip radius of 20 nm, the organic...
layers are found to have an elastic modulus of about 0.3 GPa. The deflection–displacement curve on the silicon substrate is expected to have a slope close to 1 as opposed to 0.93. We attribute this to errors in the slope calibration process. Nevertheless, the measurements demonstrate that the method can be used for quantitative analysis. The adhesion histograms also show two distinct domains, the silicon substrate producing more adhesion and the organic layers producing less adhesion. The organic layer portion of the histogram shows distinct detaching events (downward pointing arrows with corresponding Gaussian fits), possibly due to debuckling of self-assembled fibers or bond breaking.

Figure 6. (a) Histograms of the slope of the deflection–distance curves extracted from the deflection–distance data shown in figure 5(c) are shown. Two distinct domains with slopes peaking at around 0.93 (silicon substrate) and 0.62 (organic overlayers) are identifiable. Based on the calculations shown in figure 3(a), the organic layers have an elastic modulus of about 0.3 GPa. (b) The adhesion histograms also show two distinct domains, the silicon substrate producing more adhesion and the organic layers producing less adhesion. The organic layer portion of the histogram shows distinct detaching events (downward pointing arrows with corresponding Gaussian fits), possibly due to debuckling of self-assembled fibers or bond breaking.

4. Conclusion

In conclusion, we demonstrate a simple method for acquiring force–distance maps, which can find application in a variety of fields such as polymer science and biology. Sample drift, especially in the z-direction, causes an increase or decrease in the peak forces during force–distance mapping; however, it is seen that, despite the presence of sample drifts or tapping-mode imaging artifacts, force–distance mapping can produce satisfactory results even on fragile molecular layers. It is also demonstrated in our measurements that the DMT model fails to accurately describe the contact of a spherical tip with a thin soft planar layer on a hard substrate. Therefore, we note that, irrespective of the technique used to measure the tip–sample interaction curves, the effect of sample geometry is an important factor that has to be properly modeled in nanomechanical property mapping experiments using the AFM.

Acknowledgment

This work was partially funded by TUBITAK 107T547, by the State Planning Agency of the Turkish Republic Project UNAM.

References